Happy for Two (or Three) Joint Revenue Optimization for 2-Sided Parties for Promoted Listings

Feb 9, 2018

Liangjie Hong Head of Data Science, Etsy Inc.

Etsy



Etsy – A Global Marketplace



Artifact Bags
Omaha, NE
Photo by: Dana Damewood and Jackie Sterba



Clap Clap

Los Angeles, CA

Photo by: Bert Youn and Mimi Kim



redravenstudios
Pittsburgh, PA
Photo by: Janelle Bendycki



Little Hero Capes

Somerset, MA

Photo by: Rich Vintage Photography



Cattails Woodwork

Hermitage, PE, Canada

Photo by: Cattails Woodwork



Room for Emptiness
Berlin, Germany



sukrachand Brooklyn, NY Photo by: sukrachand



Nicole Porter Design
Saint Paul, MN
Photo by: Nicole Porter Design



noemiah Montreal, QC, Canada Photo by: noemiah



Lorgie
Fremantle, WA, Australia
Photo by: Lorgie



Jeremiah Collection San Francisco, CA Photo by: Matthew Reamer



Docksmith
Brunswick, ME
Photo by: Docksmith



purlBKnit Brooklyn, NY Photo by: purlBKnit



Julia Astreou Nicosia, Cyprus Photo by: Panagiotis Mina



Moira K. Lime Omaha, NE Photo by: Moira K. Lime



Nested Yellow
Portland, OR
Photo by: Jessica Dremov and Nested Yellow



Habitables
Madrid, Spain
Photo by: Habitables



Woodstorming
Kaunas, Lithuania
Photo by: Ilona & Martynas from Instudija



karoArt

Dublin, Ireland

Photo by: Christine Burns



ADIKILAV

Jerusalem, Israel

Photo by: Shlomit Koslowe



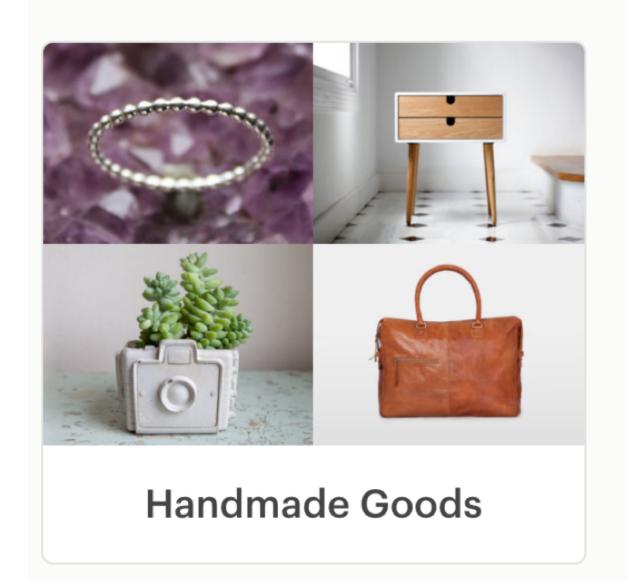
My A La Mode Boutique

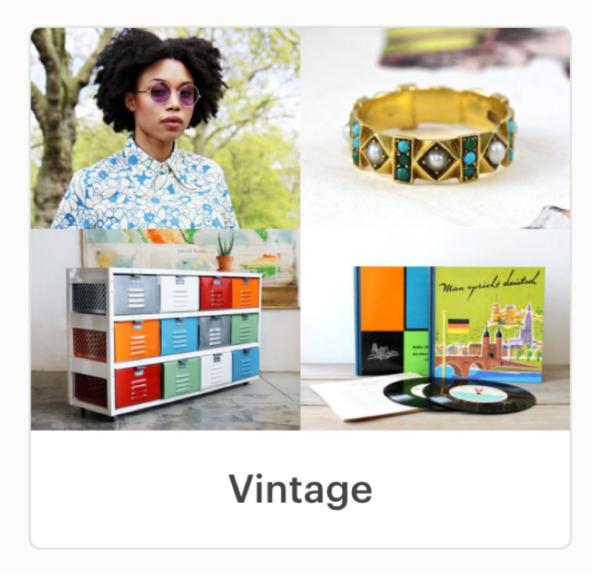
Ecuador

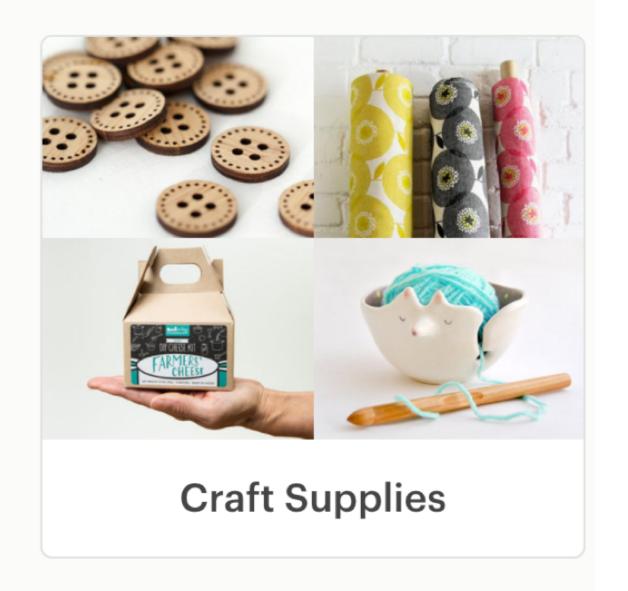
Photo by: My A La Mode Boutique

Etsy – A Global Marketplace

What can you sell on Etsy?







(20 years or older)

By The Numbers

1.9M

active sellers

31.7M

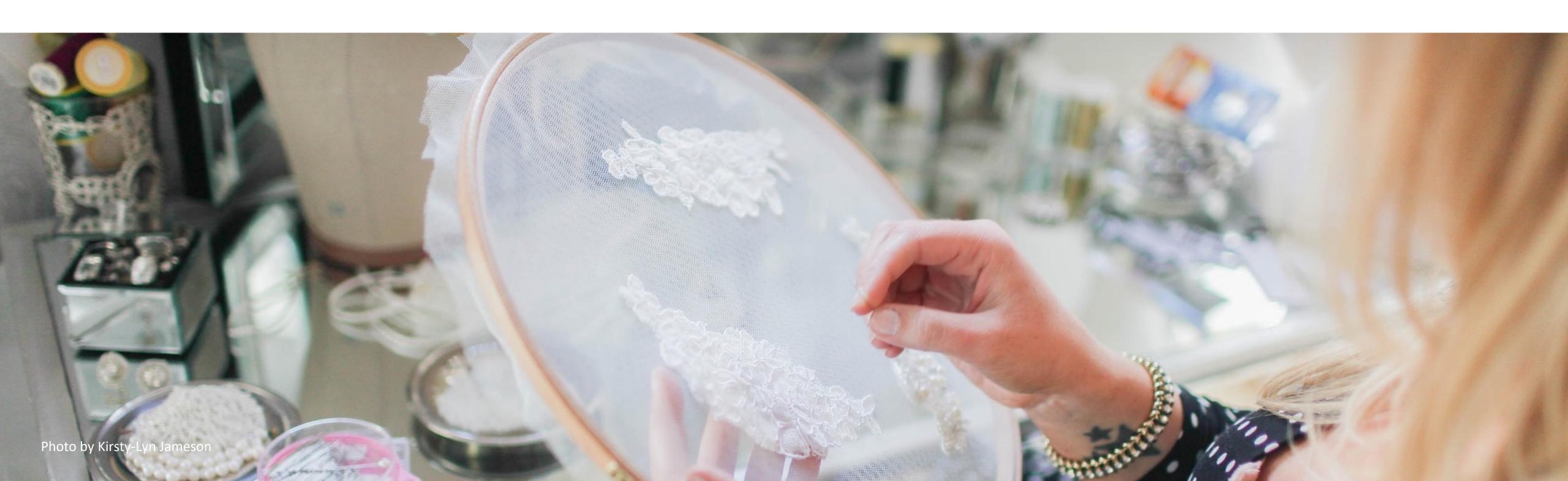
active buyers

\$2.8B

annual GMS

45+M

items for sale



Work and Culture

852 employees around the world

AS OF MARCH 31, 2016

9 offices in 7 countries

AS OF MARCH 31, 2016

54%
female employees
46%
male employees

AS OF DECEMBER 31, 2015



Work and Culture

1.6M

active sellers

AS OF MARCH 31, 2016

86%

of sellers are women

2014 ETSY SELLER SURVEY

95%

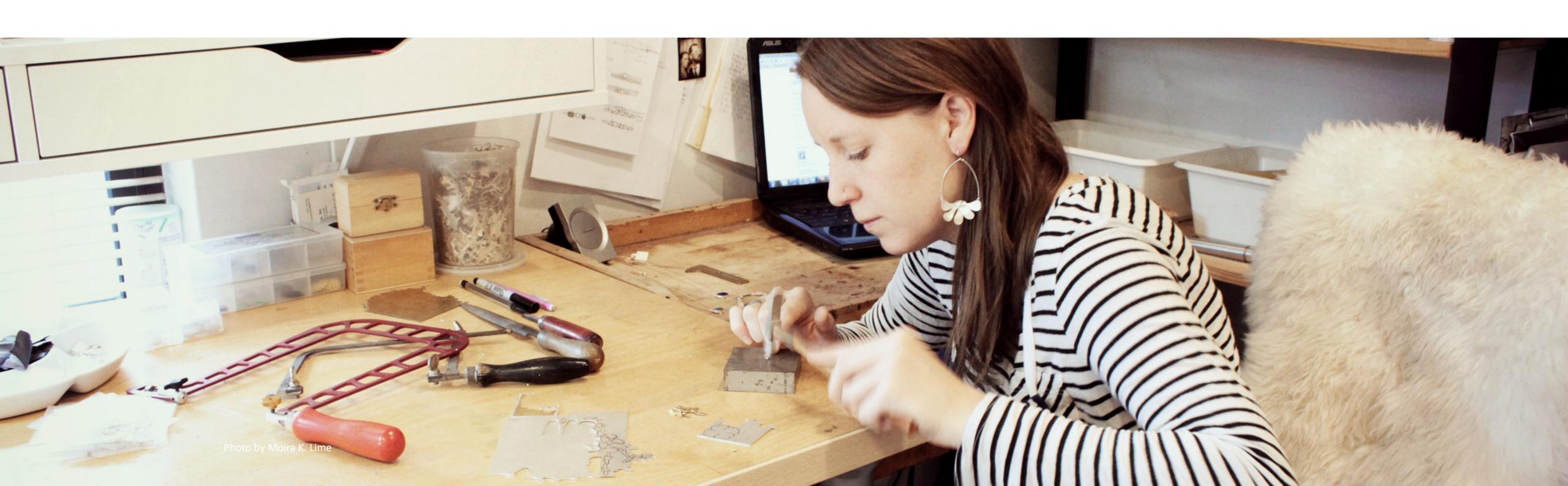
of sellers run
their Etsy shop
from home

2014 ETSY SELLER SURVEY

76%

consider their shop a business

2014 ETSY SELLER SURVEY



Passionate and Loyal Business Owners 30% 79%

focus on their creative businesses as their sole occupation

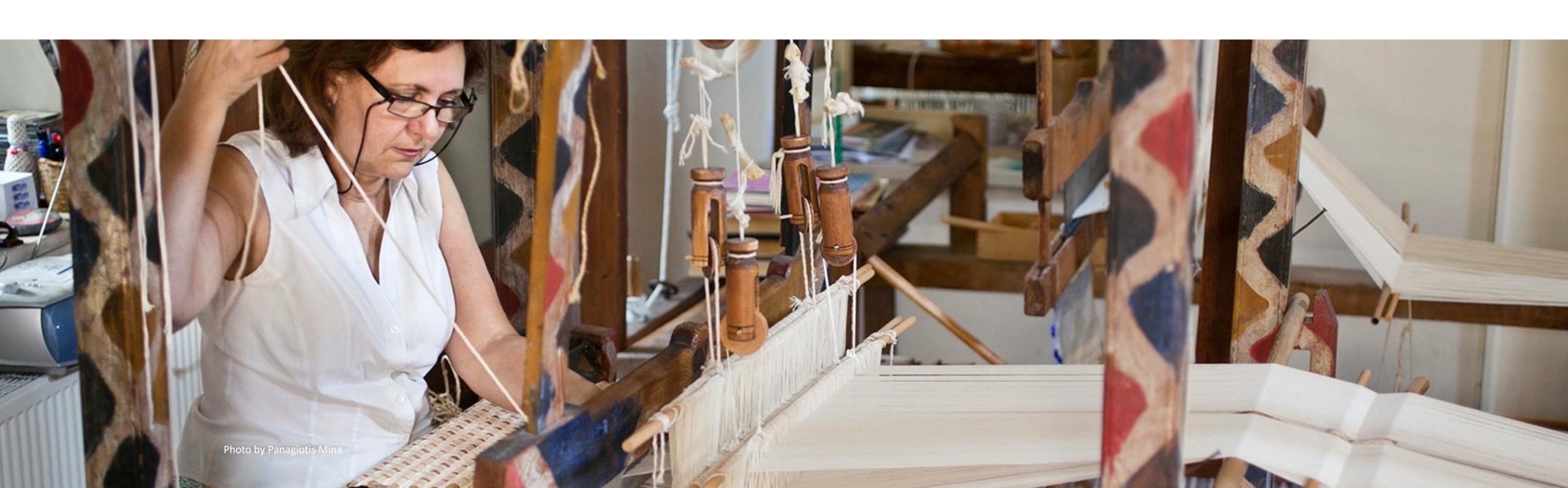
2014 ETSY SELLER SURVEY

started their Etsy shop as a way to supplement income

2014 ETSY SELLER SURVEY

started their Easy shop as an outlet for creativity

2014 ETSY SELLER SURVEY



Engaged and Thoughtful Buyer Base

25M

active buyers

AS OF MARCH 31, 2016

87%

of Etsy buyers are women

2014 ETSY BUYER SURVEY

92%

of buyers agree Etsy offers products they can't find elsewhere

2014 ETSY BUYER SURVEY



Al in E-commerce

AI Challenges

For Buyers

How to choose unique and satisfied products among millions?
 How to lead and guide buyers to discover products that they wouldn't buy at the first place?
 How to recommend appropriate products for different occasions?

For Sellers

How to reach larger audience and potential buyers?
 How to run advertising campaign more effectively?
 How to communicate with buyers through different channels?

For Platform

How to build a healthy platform?
 How to speed-up buyer and seller communication?



Al in E-commerce

AI Challenges

Search and Discovery

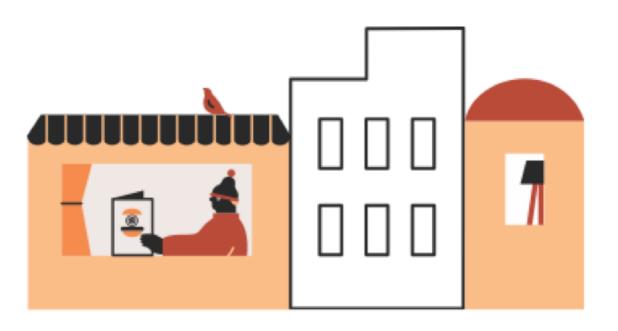
Query Modeling
User Intent Modeling
Learning to Rank

Personalization and Recommendation

User Profiling
Item Modeling
Recommender Ranking

Computational Advertising

Click-Through Rate Modeling
Conversion Rate Modeling
Bid Optimization



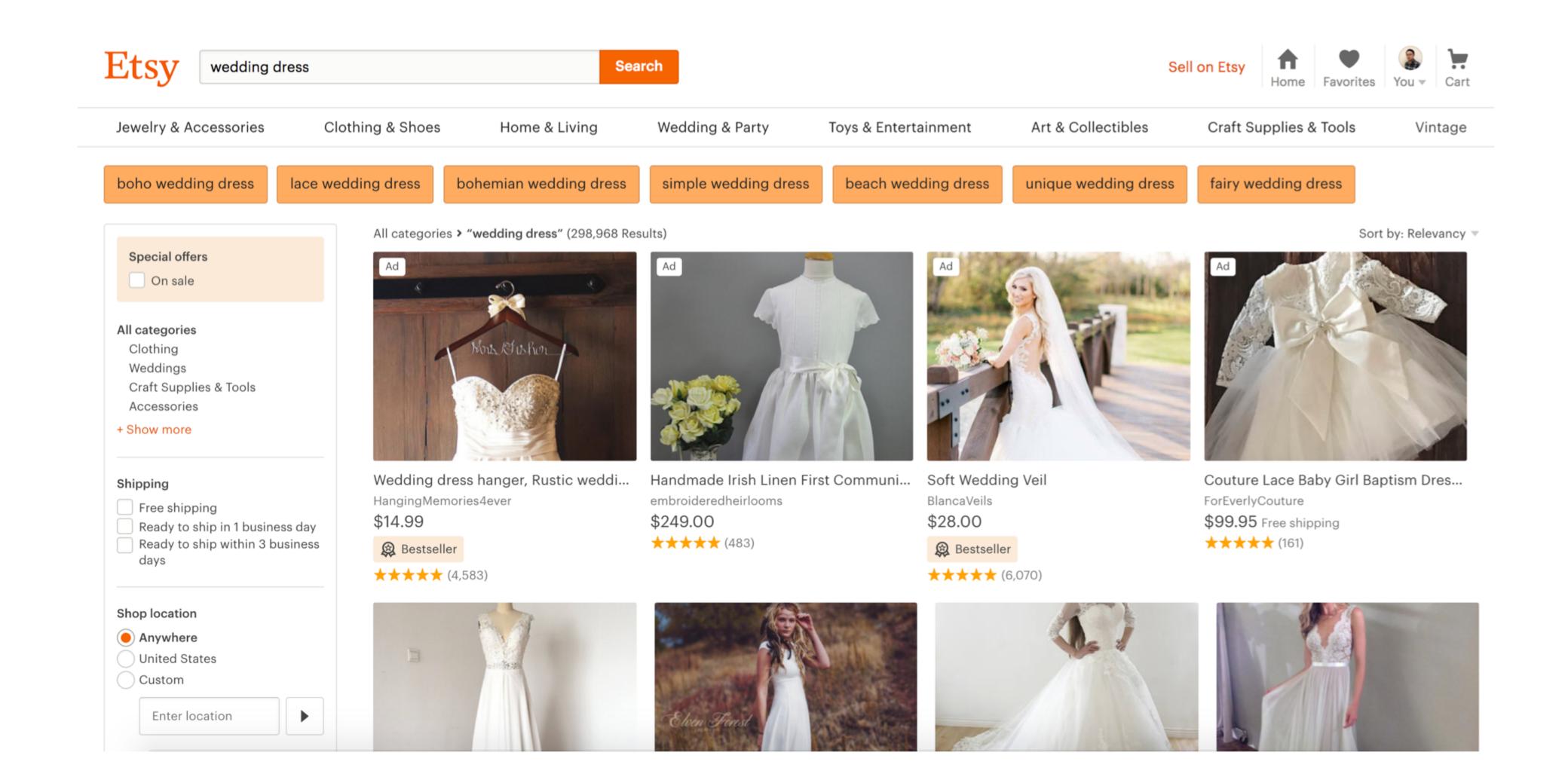
Al in E-commerce

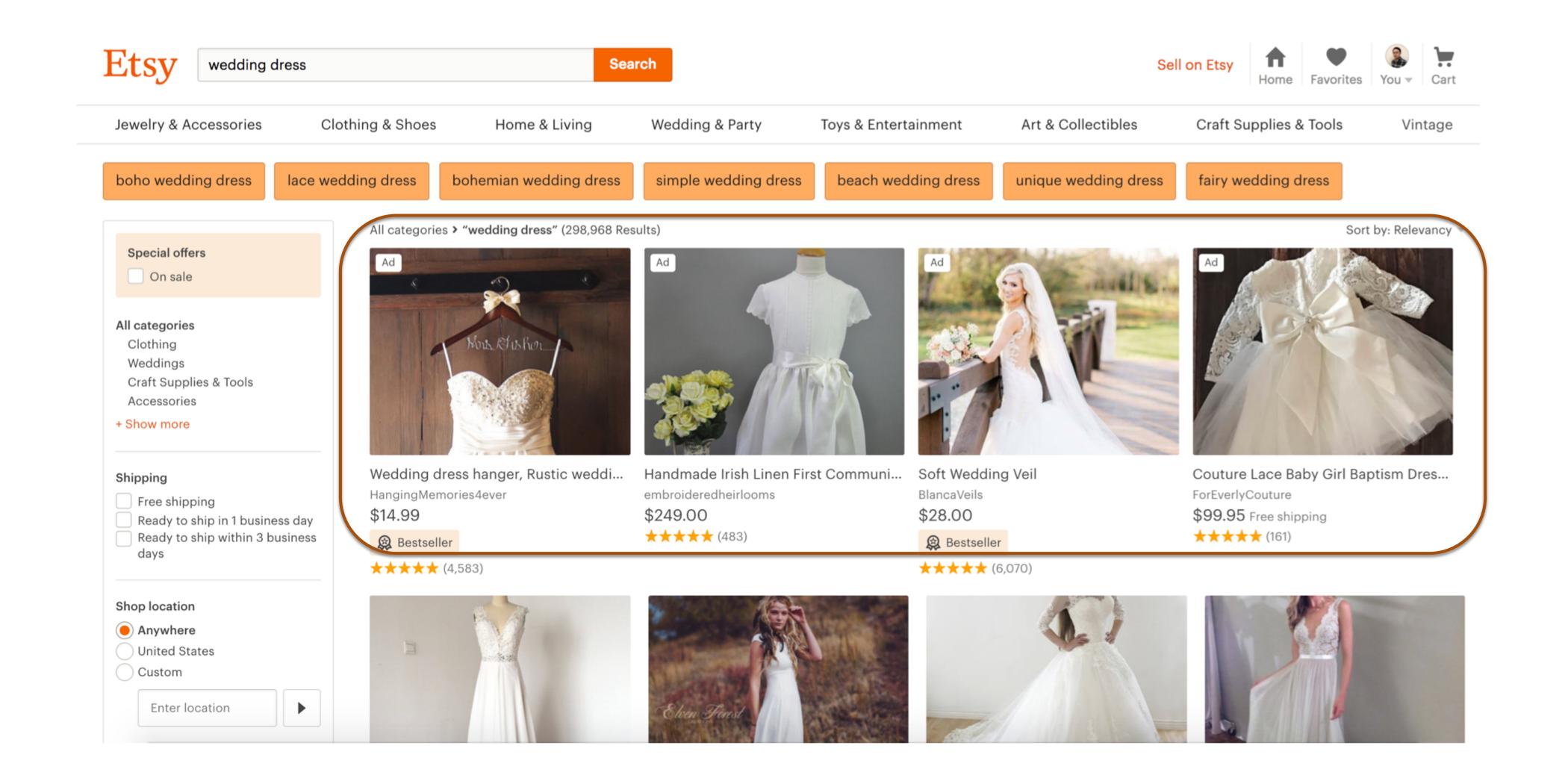
Al in E-commerce at Etsy

- Multi-modal Deep-learning based Search Solution (KDD 2016)
- Probabilistic Graphical Model based Personalization Recommendation (KDD 2014)
- Ensemble Learning based CTR Prediction Solution (AdKDD 2017/KDD 2017)
- Buzzsaw: A System for High Speed Feature Engineering (SysML 2018)



Promoted Listings





For Sellers

- Specify a campaign with listings
- Specify daily budget (maximum you want to spend daily)



For Sellers

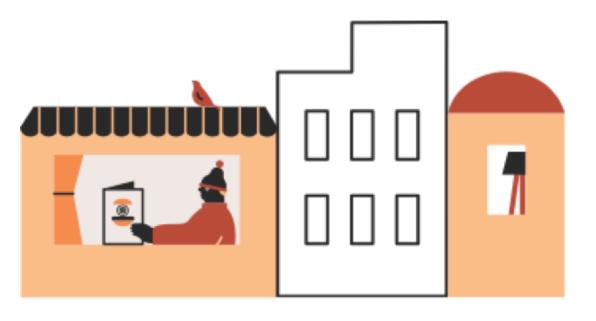
- Specify a campaign with listings
- Specify daily budget (maximum you want to spend daily)

- No need to specify which queries or keywords
- In general, bidding is automated but could specify bids
- Could set a maximum Cost-Per-Click (CPC)



For Etsy

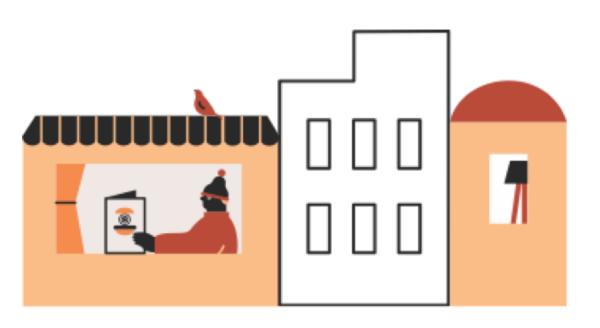
- Determine queries
- Determine bids (most of time)
- Determine whether to show the promoted listings



For Etsy

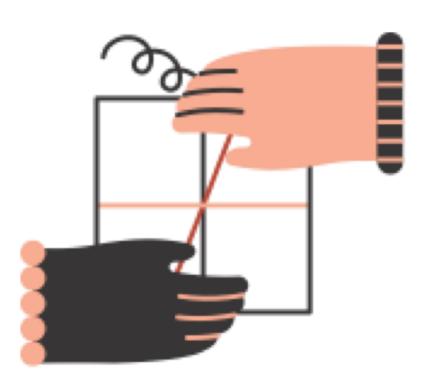
- Determine queries
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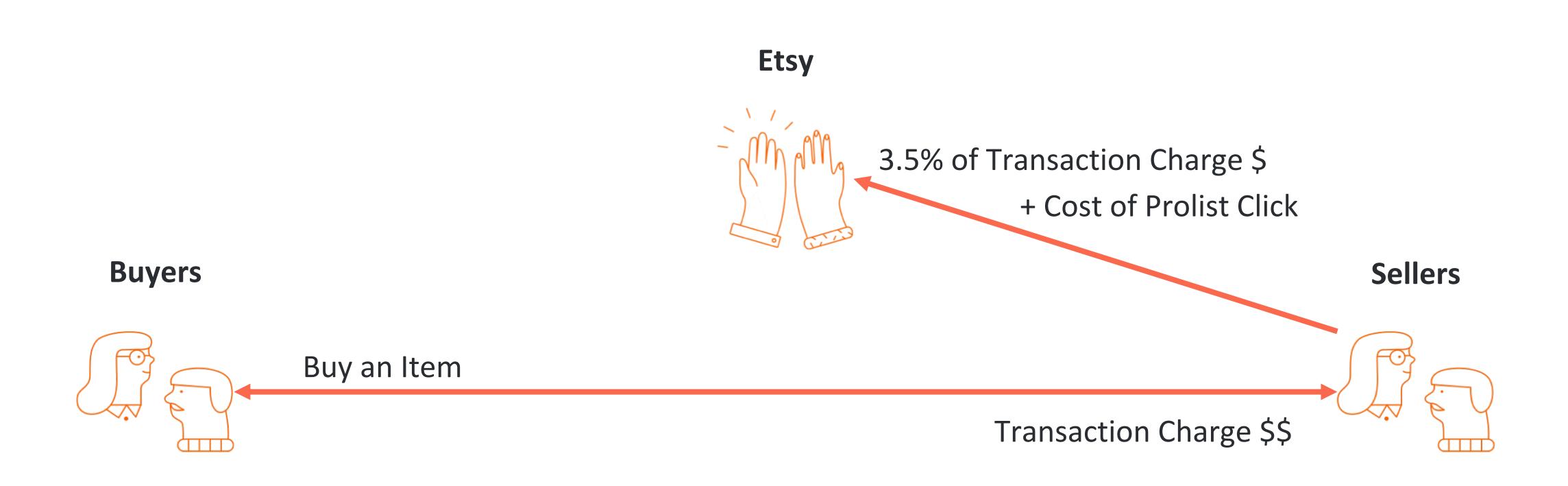
- Charge a fee per click (CPC)
- Revenue attributed to this click purchase within 30 days

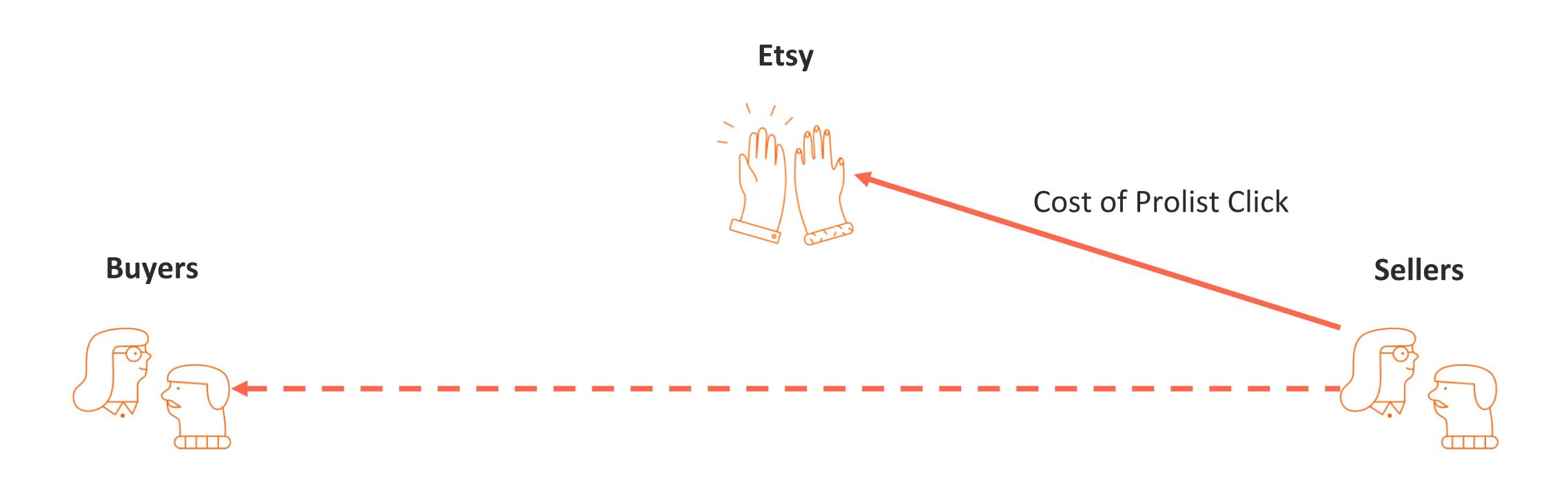


For Etsy

- \$0.20 USD to list an item
- a 3.5% transaction fee
 a 3.0% transaction fee + \$0.25







Sellers

Increase sales while keep cost minimized

Etsy

Increase both Promoted Listing's revenue and/or transaction revenue

Buyers

Find most relevant/interesting item to purchase

Sellers

No increased sales while the Promoted Listing cost remains/increase

Etsy

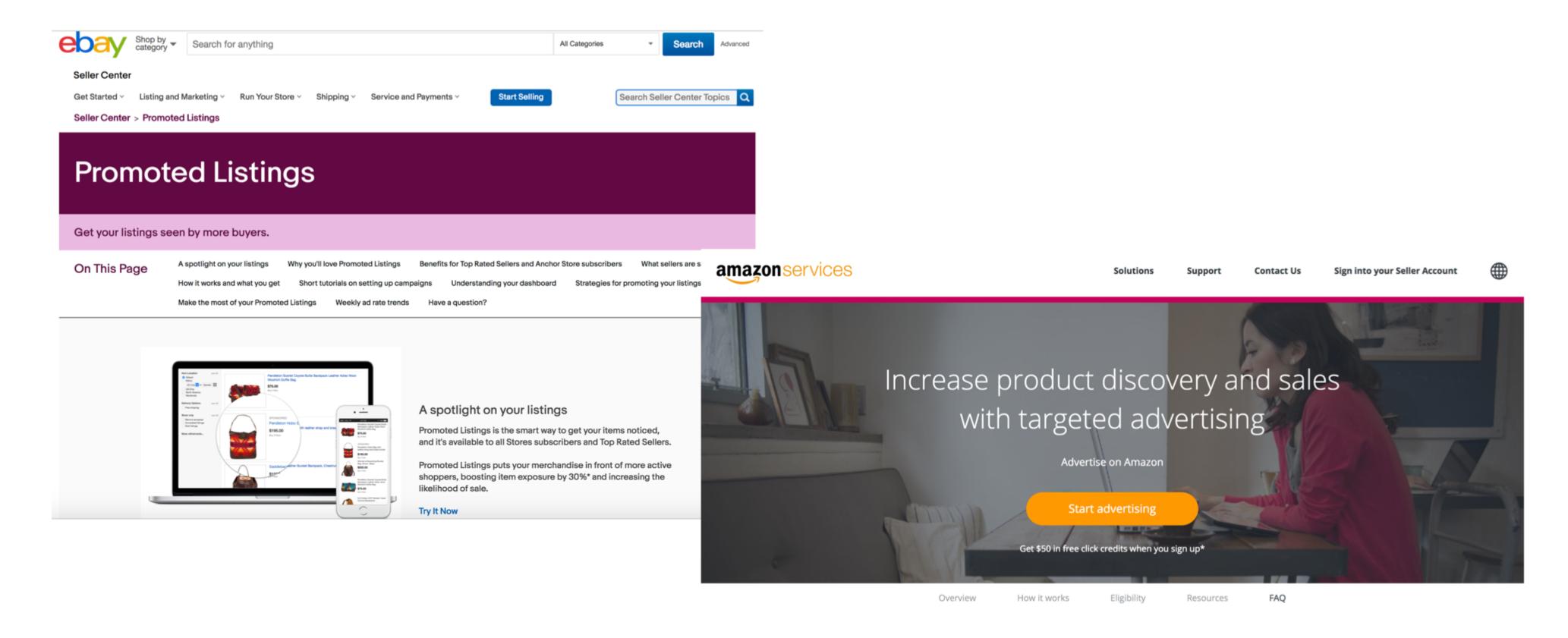
Increased both Promoted Listing's revenue

Buyers

Not finding most relevant/interesting item to purchase

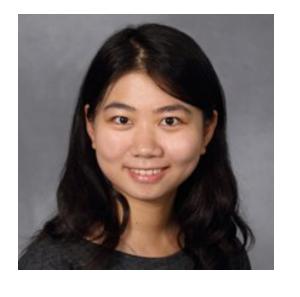


Other Promoted Listings

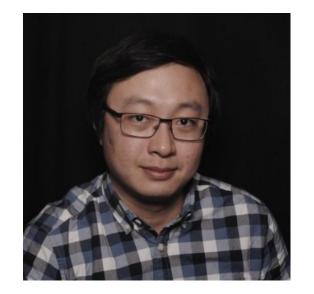


Frequently asked questions

- Wei Qian, PhD candidate in Operations Research from Cornell University
- Kamelia Aryafar, Director of Machine Learning at Overstock.com
- Liangjie Hong, Head of Data Science at Etsy





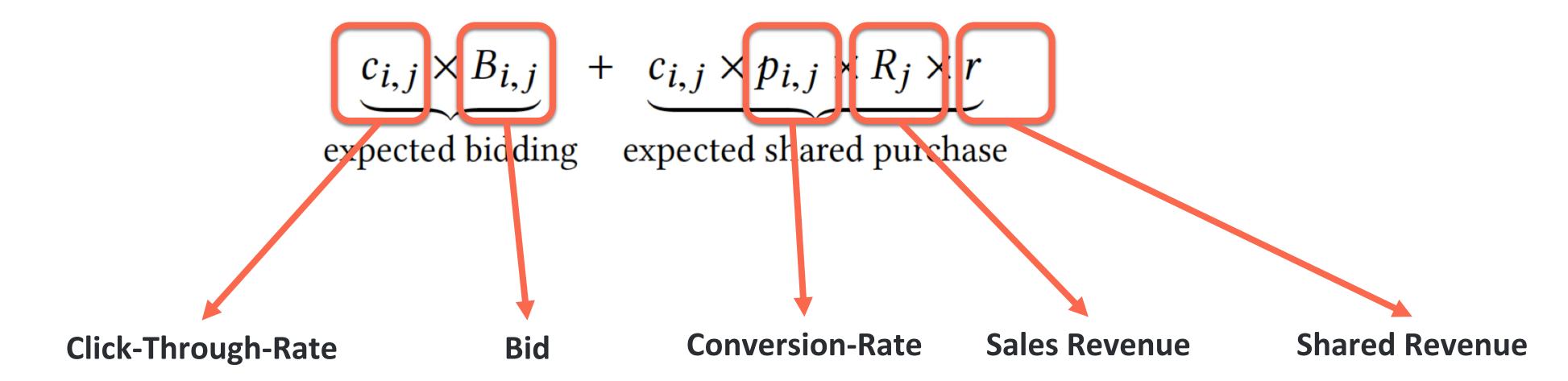


Assumptions

- Each seller manages one promoted listing and k slots are allocated for each search query.
- For each seller, Click-Through-Rate (CTR) and Conversion-Rate (CVR) are the same across all slots.
- For simplicity, only discuss **First-Price-Auction**.

Main Utility

The expected utility of a_i to the platform with bid $B_{i,j}$ for search query q_i



Main Constraints

 $W_{i,j}$, indicates whether seller a_i wins the auction for search query q_i .

allocation constraint

bidding constraint:

$$\sum_{j=1}^{M} W_{i,j} = k \ \forall i$$

budget constraint:

$$\sum_{i=1}^{N} c_{i,j} W_{i,j} B_{i,j} \le B_j \quad \forall j$$

$$B_{i,j} \leq mCPC_j \ \forall i,j$$

Main Constraints

 $W_{i,j}$, indicates whether seller a_i wins the auction for search query q_i .

• *performance* constraints:

The performance constraints are designed by the platform to balance the performance of itself and the advertisers. If it sets the goal for total number of clicks, then the constraint is of the following form:

$$\sum_{i=1}^{N} \sum_{j=1}^{M} W_{i,j} c_{i,j} \ge G_{\text{click}} N$$

where $G_{\text{click}} \in (0, 1)$ is the target global click through rate. If it sets the goal for the purchase revenue, then it is:

$$\sum_{i=1}^{N} \sum_{j=1}^{M} W_{i,j} c_{i,j} p_{i,j} R_j \ge G_{\text{attribution}}$$

where $G_{\text{attribution}} \in \mathbb{R}^+$ is the target amount of the purchase revenue. If it sets the goal for the global rate of return for the advertisers, then it is:

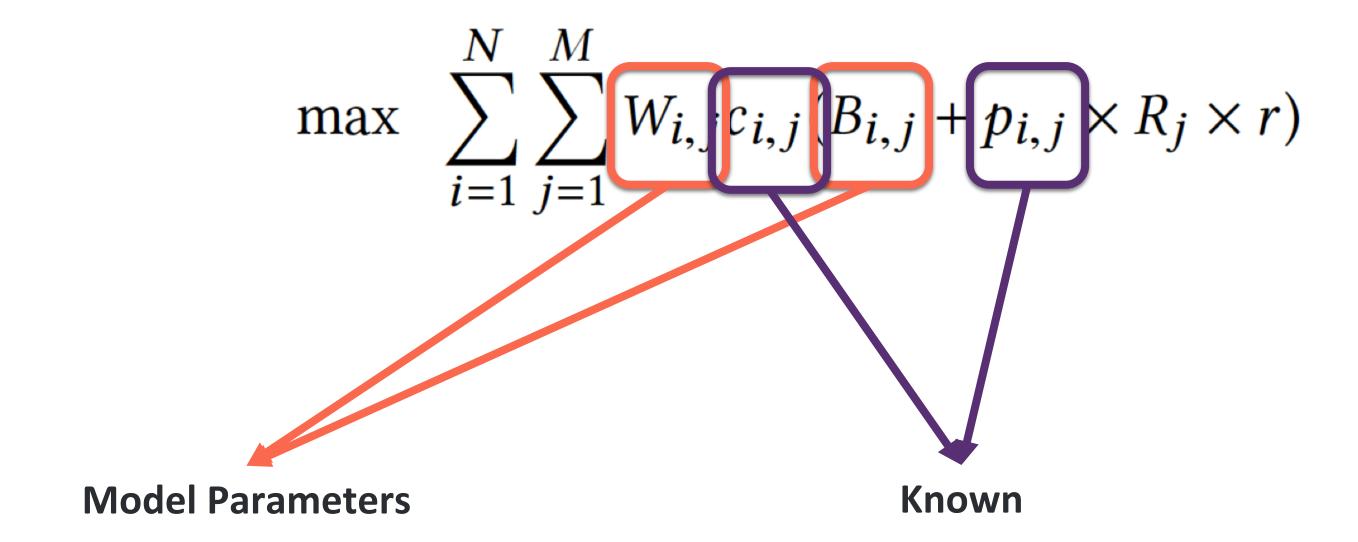
$$\sum_{i=1}^{N} \sum_{j=1}^{M} W_{i,j} c_{i,j} p_{i,j} R_j \cdot (1-r) \ge G_{ROI} \sum_{i=1}^{N} \sum_{j=1}^{N} W_{i,j} c_{i,j} B_{i,j}$$

where the left hand side is the expected revenue obtained by an advertiser, the right hand side is its expected spending and $G_{ROI} > 0$ is the target rate of investment,

Main Objective

$$\max \sum_{i=1}^{N} \sum_{j=1}^{M} W_{i,j} c_{i,j} (B_{i,j} + p_{i,j} \times R_j \times r)$$

Main Objective



Main Objective

$$\max \sum_{i=1}^{N} \sum_{j=1}^{M} W_{i,j} c_{i,j} (B_{i,j} + p_{i,j} \times R_j \times r)$$

Non-Convex! Need Approximation

Relaxation

Relaxation

Relaxed Objective

- Let $Z_{i,j} = W_{i,j}B_{i,j}$
- Relax $W_{i,j}$ to [0, 1]

Relaxed Objective

- Let $Z_{i,j} = W_{i,j}B_{i,j}$
- Relax $W_{i,j}$ to [0, 1]

$$\max \sum_{i=1}^{N} \sum_{j=1}^{M} c_{i,j} Z_{i,j} + c_{i,j} p_{i,j} W_{i,j} R_j \times r$$

$$\text{s.t} \sum_{j=1}^{M} W_{i,j} \le k \ \forall i$$

$$[\beta_i]$$

$$\sum_{i=1}^{N} c_{i,j} Z_{i,j} \le B_j \quad \forall j$$
 [\alpha_j]

$$Z_{i,j} \le mCPC_jW_{i,j} \ \forall i,j$$
 $[\theta_{i,j}]$

$$W_{i,j}, Z_{i,j} \ge 0 \ \forall i, j$$

$$W_{i,j} \le 1 \ \forall i,j$$
 $[\gamma_{i,j}]$

Linear-Programming Problem

Dual Linear Programming Formulation

min
$$\sum_{i=1}^{N} k\beta_{i} + \sum_{j=1}^{M} B_{j}\alpha_{j} + \sum_{i,j} \gamma_{i,j}$$
s.t $\theta_{i,j} + c_{i,j}\alpha_{j} \geq c_{i,j} \ \forall i,j$ $[Z_{i,j}]$

$$\beta_{i} - \theta_{i,j}mCPC_{j} + \gamma_{i,j} \geq c_{i,j}p_{i,j}R_{j} \times r \ \forall i \quad [W_{i,j}]$$

$$\alpha_{j}, \beta_{i}, \theta_{i,j}, \gamma_{i,j} \geq 0 \ \forall i,j$$

Optimal Solution Structure

Proposition 3.1 (solution structure). There exists a dual optimal solution $\{\alpha_i^*\}$, $\{\beta_j^*\}$, $\{\theta_{i,j}^*\}$ s' and $\{\gamma_{i,j}^*\}$ s' that will satisfy the following conditions:

- $\alpha_i^* \in [0,1] \ \forall j$
- $\bullet \quad \theta_{i,j}^* = (1 \alpha_j^*) c_{i,j} \quad \forall i,j$
- $\beta_i^* = \max_j^{k+1} c_{i,j} \left((1 \alpha_j^*) mCPC_j + p_{i,j} R_j \times r \right) \forall i, j$
- $\gamma_{i,j}^* = \max(c_{i,j} \left((1 \alpha_j^*) mCPC_j + p_{i,j} R_j \times r \right) \beta_i^*, 0)$

where \max^{k+1} means the k+1 th largest value. Moreover, let

$$s_{i,j} = c_{i,j}((1 - \alpha_j^*)mCPC_j + p_{i,j}R_j \times r) \quad \forall i, j$$

If the top k scores are distinct for all query i, there exists a primal optimal solution $\{W_{i,j}^*\}$, $\{Z_{i,j}^*\}$, where $W_{i,j} \in \{0,1\}$ for all i, j.

Optimal Solution Structure

Assume that the optimal solution α_j^* s' are known, the following simple bidding and allocation rule will be used: set the bid for ad j to be $mCPC_j$ for each query i, and rank the ads by the following score:

$$c_{i,j}\Big((1-\alpha_j^*)mCPC_j+p_{i,j}R_j*r)\Big)$$

The advertisers with top k ranking scores will be allocated for the ad slots. In the case of first price auction, each winner will pay their mCPC. In the case of the second price auction, each winner will pay the amount of money such that the its ranking score is equal to the second highest ranking score (below him), i,e,

$$\max(0, \frac{c_{i,j+1}((1-\alpha_{j+1}^*)mCPC_{j+1}+p_{i,j+1}R_{j+1}*r)/c_{i,j}-p_{i,j}R_j*r}{1-\alpha_i})$$

Optimal Solution Structure

We do not know $\alpha_j^* s$ a-priori.

Need to solve LP offline. Very expensive.

Optimal Solution Structure

Use Adaptive Control to estimate $\alpha_j^* s$.

Throughout a day's auction, we set a few checkpoints to update α_j s'. Let $N_0 = 0 < N_1 < N_2 < \cdots < N_T$ be the checking points, and define:

$$S_j(t) = \sum_{i=0}^{N_t} B_{i,j} \mathbb{I}[clicked == 1]$$

 $S_j(t)$ is the actual spending of advertiser j between 0 and N_t search queries/impressions. Let $B_j(t)$ be the planned spending budget between 0 and N_t search queries. The updating formula for α is:

$$\alpha_j(0) = \alpha_0$$

$$\alpha_j(t+1) = \max(\alpha_j(t) \exp\left(\gamma(\frac{S_j(t)}{B_j(t)} - 1)\right), 1)$$

Algorithm I without Performance Constraints

```
Data: Ads budget, maximal CPC
 \{\alpha_0\}, \gamma, checkpoints;
 while not the end of day do
     current query = q_i;
     for advertiser j = 1...M do
         predict c_{i,j}, p_{i,j} for all ad campaigns using pre-trained
          click and purchase model;
         set b_{i,j} = \min(mCPC_j, \text{remaining budget});
         compute ranking score:
          s_{i,j} = c_{i,j}((1 - \alpha_j)b_{i,j} + r * p_{i,j}R_j);
     end
     determine the actual CPC for winners;
     update the remaining budget for winners depending on
      user actions(click);
     if time is a check point then
         update \alpha_i using eq (7) for all advertisers;
     end
 end
Algorithm 1: The Bidding and Ranking Algorithm for the Simple
model Without Performance Constraints
```

Summary

- Joint Revenue Optimization
 Non-Convex
- 2. Relaxation
- 3. Dual
- 4. Adaptive Control

Data

• Log

2 weeks of search logs with timestamps and queries

Ads

id, description, price, historical clicks, purchase information and

Auction

budget, predicted CTR, bid, max bid, pacing factor

Label

clicks and purchase

CTR and CVR

- Logistic Regression
- Features

word2vec, historical features, ...

Simulation Setup

• For each query, we rank promoted listings for 8 slots, treating the first 4 slots winning.

Category	Constraints
Click	$\sum_{i,j} c_{i,j} W_{i,j} \ge G_{\text{click}} N$
Dual	Ranking function
$ heta_c$	$c_{i,j}\Big((1-\alpha_j)mCPC_j+\theta_c+p_{i,j}R_jr\Big)$
Category	Constraints
SP	$\sum_{i,j} c_{i,j} W_{i,j} p_{i,j} R_j \times r \ge G_p$
Dual	Ranking function
θ_{p}	$c_{i,j}\Big((1-\alpha_j)mCPC_j+p_{i,j}R_j(r+\theta_p)\Big)$
Category	Constraints
ROI	$\sum_{i,j} c_{i,j} W_{i,j} p_{i,j} R_j \times (1-r) \ge G_r(\sum_{i,j} c_{i,j} Z_{i,j})$
Dual	Ranking function
θ_r	$c_{i,j}\left((1-\alpha_j-\frac{G_r}{1-r}\theta_r)mCPC_j+p_{i,j}R_j(\theta_r+r)\right)$

Table 1: Constraints and Ranking functions

Evaluation Metrics

eCPC =
$$\frac{\text{total bidding cost}}{\text{total number of clicks}}$$

RP = $\frac{\text{total purchase revenue}}{\text{total number of purchases}}$

CR = $\frac{\text{total bidding revenue}}{\text{total first price revenue}}$

ROI = $\frac{\text{total purchase revenue}}{\text{total bidding cost}}$

$$change of percentage = \frac{metric_{proposed} - metric_{current}}{metric_{current}}$$

Logged Budget

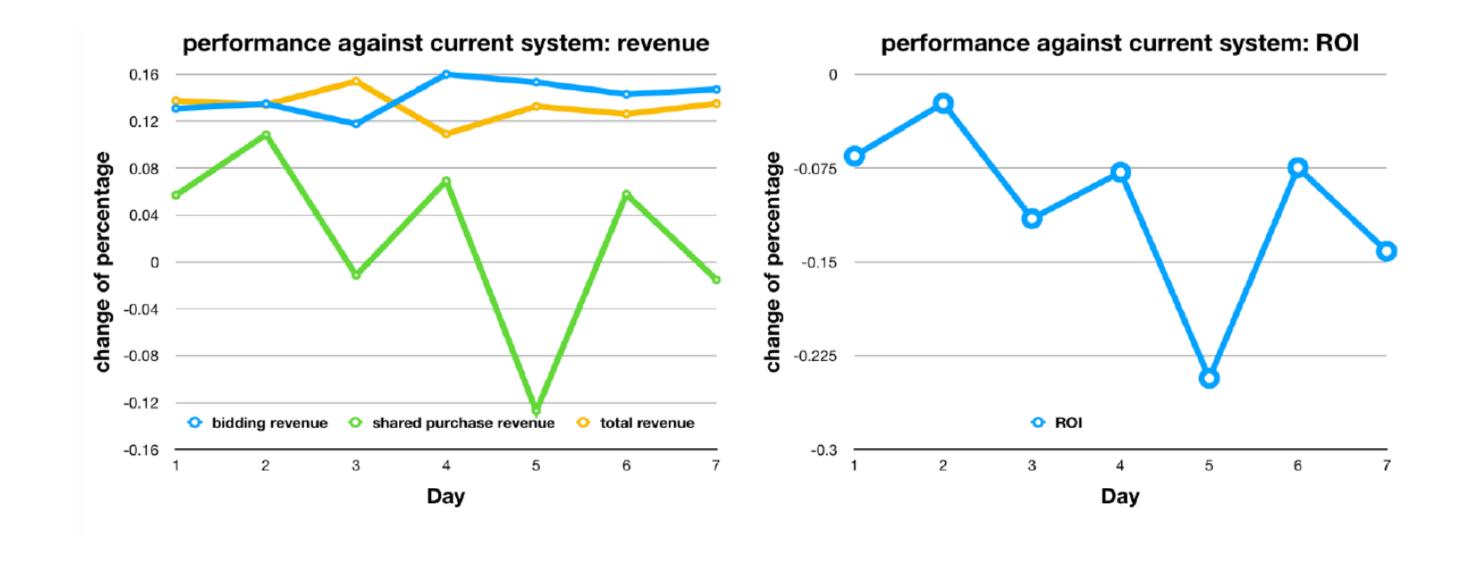


Figure 1: Comparison Between Current Model and Proposed Model: Revenue and ROI

Logged Budget

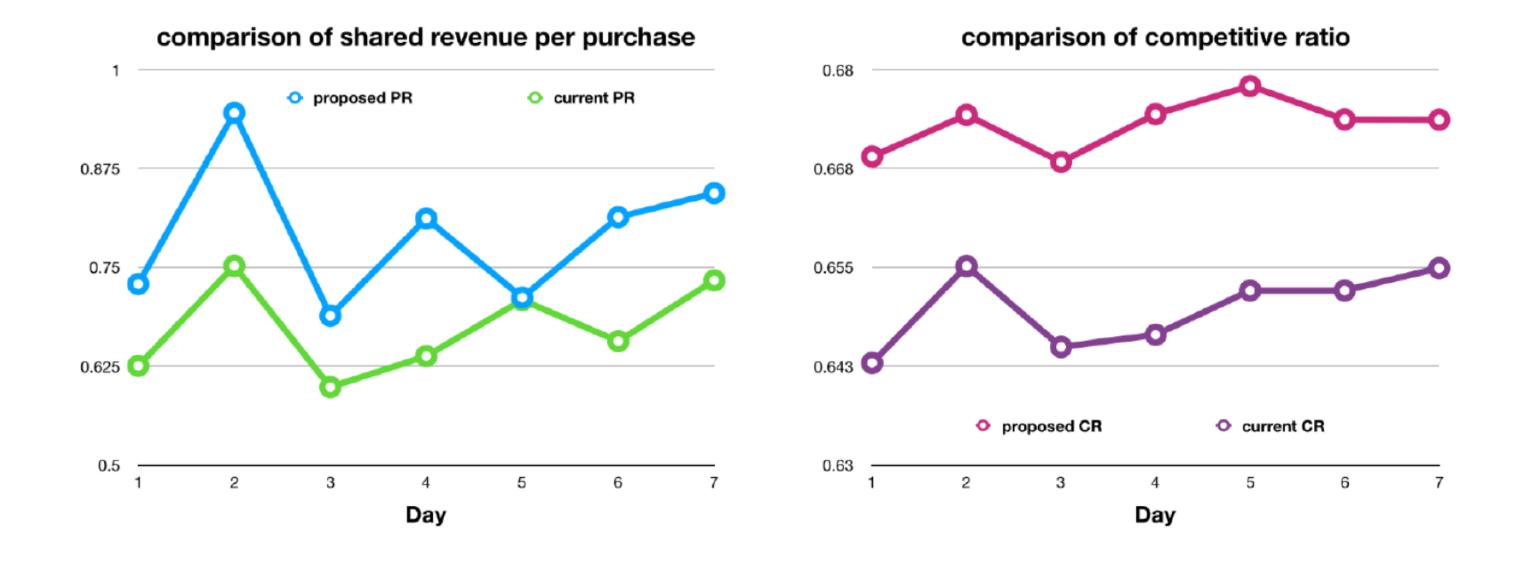


Figure 2: Comparison Between Current Model and Proposed Model: RP and CR

Varying Click Penalty

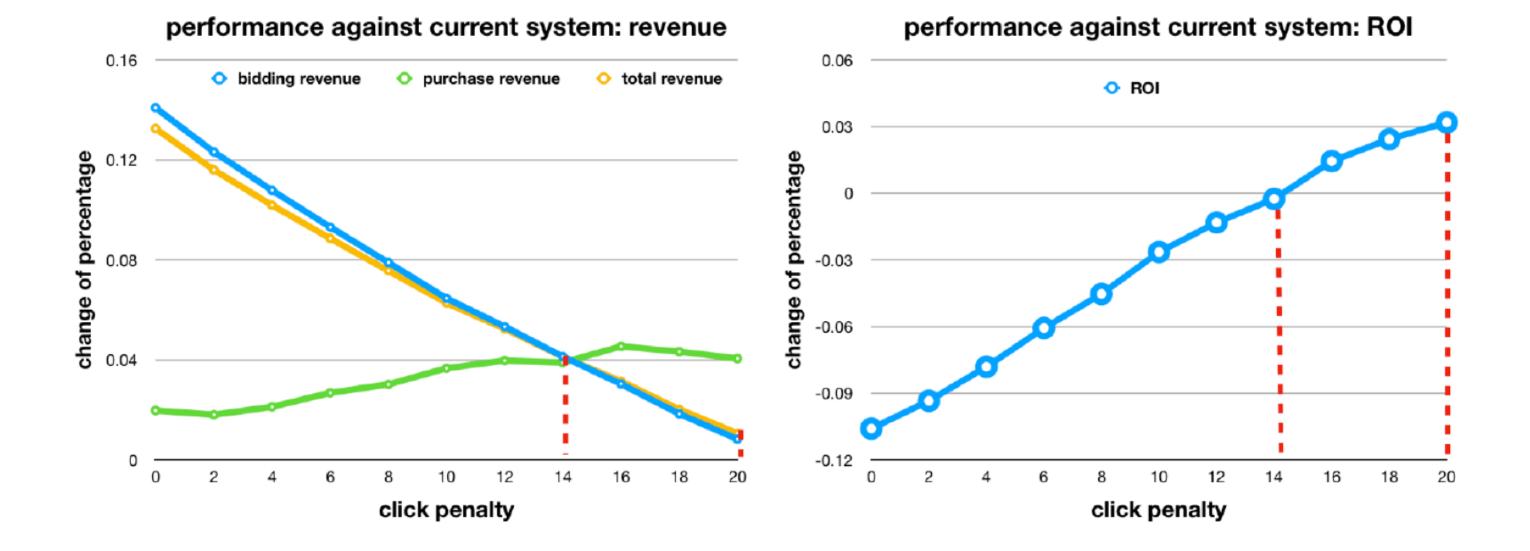


Figure 3: Varying Click Penalty

Varying Shared Revenue Percentage

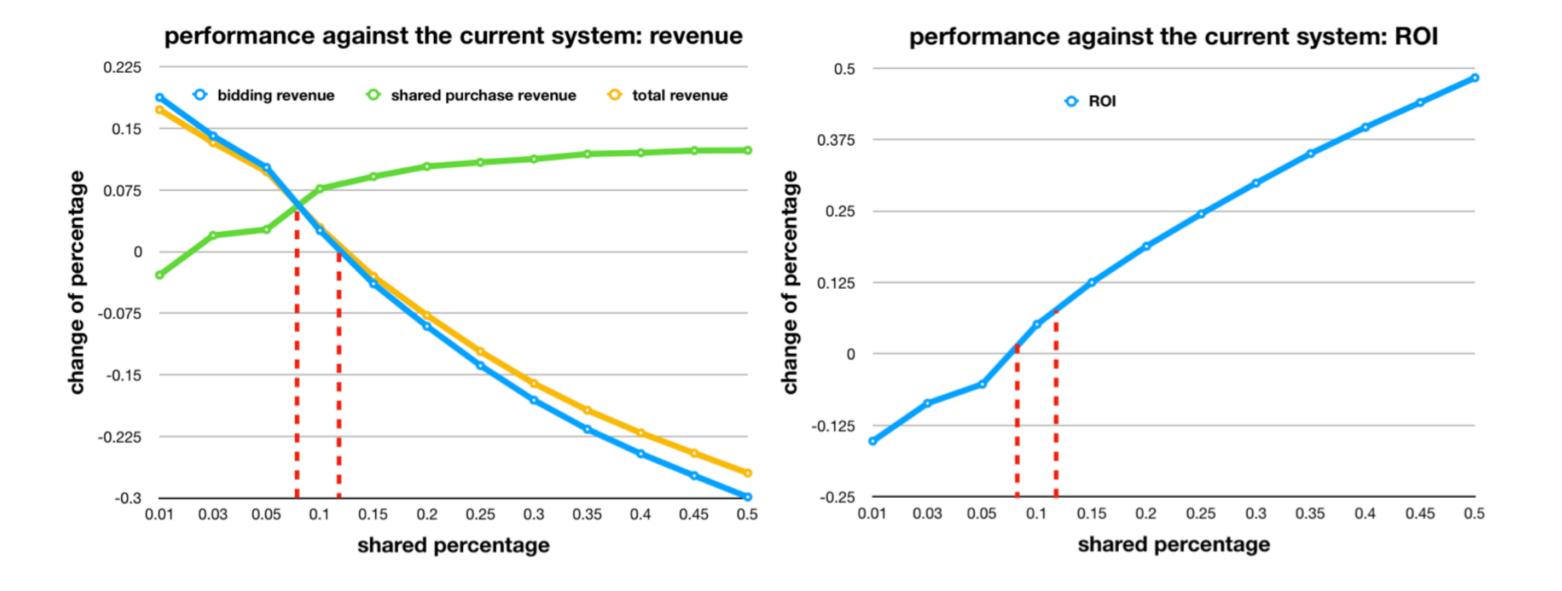


Figure 4: Varying Shared Revenue Percentage

Tight Budget

Budget Ratio 0.8: We modified the budget for each advertiser to be 0.8*max(actualspending, mCPC), where actualspending is the amount of money that has been spent by that advertiser under the current system with logged budget, and mCPC is the max bid it is willing to pay (same as the first set of experiments). The adaptive updating rule of α is designed based on the discrepancy between the planned budget and actual spending. Intuitively, we want the planned budget guided the actual spending throughout the day. To verify this hypothesis, we compared three three types of planned budget spending $\{B_j(t)\}$:

- uniform: $B_j(t) = \frac{t}{T} * B_j$. The budget spending is linear with respect to time.
- convex: $B_j(t) = (\frac{t}{T})^4 * B_j$. The budget spending is convex with respect to time.
- concave: $B_j(t) = (\frac{t}{T})^{0.25} * B_j$. The budget spending is concave with respective to time.

Tight Budget

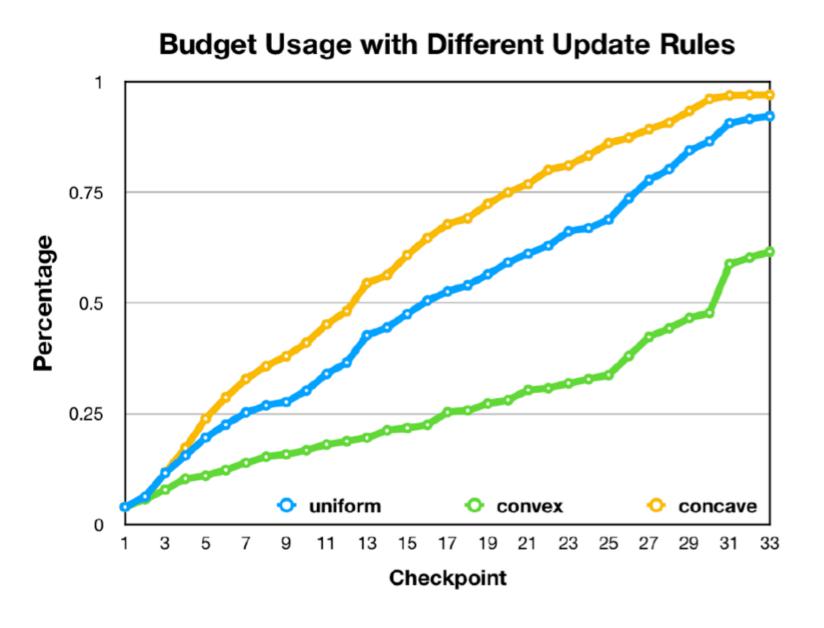


Figure 5: Budget Utilization for Multiple Clicked Advertisers



Conclusion

- Etsy is a three-party marketplace.
- Promoted Listing program needs multi-objective optimization.
- Proposed a joint-revenue optimization solution and demonstrated its relaxation.
- Simulation experiments shows that the proposed framework is effective.

Questions?

